





# BAZINGAI

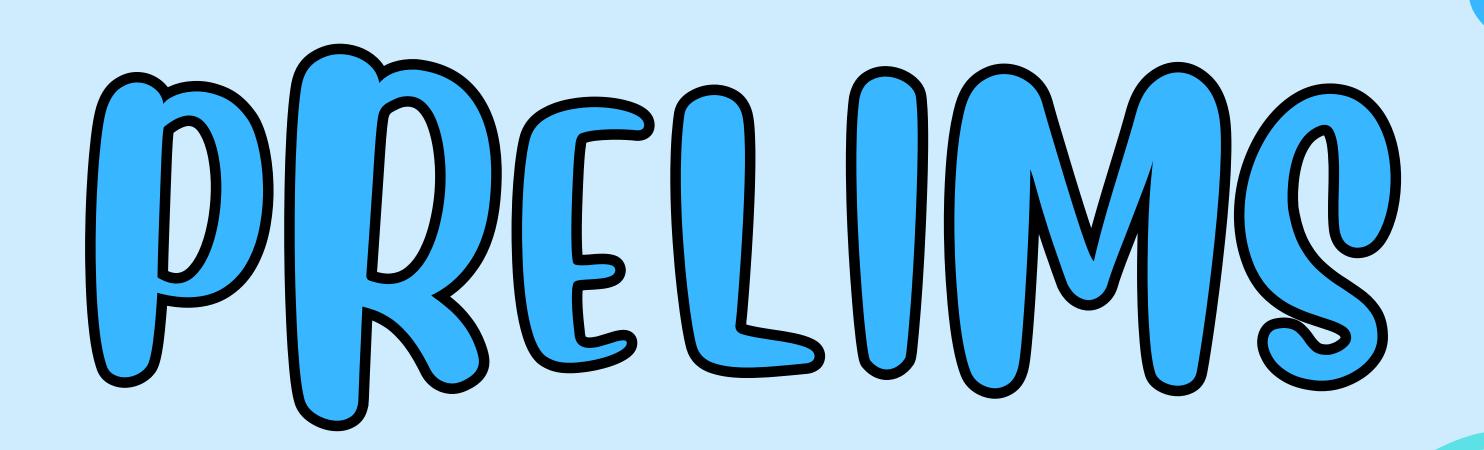
## MATHS













#### DIRECTIONS:

- One by one, 15 questions will be shown on the screen for 90 seconds each.
- After one run-through of all questions, they will be shown again in the same order, for 30 seconds each.
- Write all answers neatly in the sheet provided (with your name and roll number on top).
- For multiple choice questions, just write the option, like Q1. a).
- In the event of a tie, the person who solves more star-marked questions will qualify.

This equation is false. Make it true by adding as few operators as possible:

987654321 = 123456789

Only the operators  $+ - \times \div$  are allowed. You can change both sides, but not the numbers.

Ted is eating olives with eating speed proportional to the square of the number of uneaten olives. A day after he opened a can, there were 32 of them. A day later, there were just 17 left. How many olives were in the can initially? Assume that the number of olives is a continuous variable for Ted.

Given a cyclic quadrilateral ABCD with

$$AB=4\sqrt{3}, AD=\sqrt{3}, \angle BAC=30^{\circ}, \angle CAD=30^{\circ}$$
 find  $AC$ 

This mathematician spent seven secretive years pursuing a dream inspired in childhood. His proof, unveiled in the 1990s, solved a riddle that had defied the greatest minds for three hundred years and earned him worldwide acclaim and knighthood.

Who is he?

Consider the hourglass figure formed by the lines x=y, x=-y, y=10, y=-10.

If we choose 2 points inside the square formed by the corner of the hourglass, what is the probability that more of the line segment formed by them lies inside the hourglass than outside?

The \_\_\_\_ is a concept which describes how patterns in nature, such as stripes and spots, can arise naturally and autonomously from a homogeneous, uniform state.

Fill in the blanks.

Let 
$$H_n$$
 be defined as  $H_n = \sum_{k=1}^n \frac{1}{k}$ .

Find the value of 
$$S,$$
 where  $S=\sum_{n=1}^{\infty} \frac{H_{n+1}}{n(n+1)}$ 

## Find the number of positive integers n such that $n + 2n^2 + 3n^3 ... + 2025n^{2025}$ is divisible by (n - 1)

There are n points lying on a circle. Consider the line segments connecting any two of these points. What is the maximum number of unique triangles that can be constructed such that all the vertices of the triangle lie inside the circle (not on the circle)?

From a point P outside a circle with center at C, tangents PA and PB are drawn, and they satisfy

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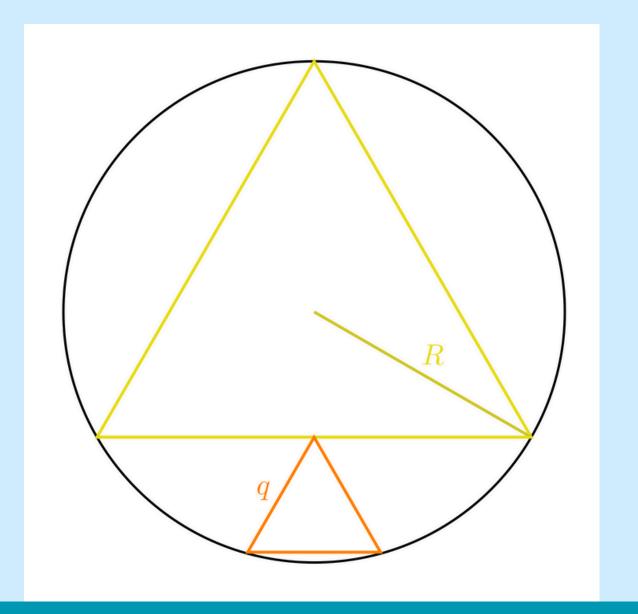
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3.a, 
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The logician required all 3 hints. What is the number abc?

#### Find q in terms of R. Both are equilateral triangles







Based on the image, what could this text translate to?



Nirav recently discovered an interesting gambling game and, unfortunately, his net worth is \$8. In each round he wins \$1 with probability 1/3 and loses \$1 with probability 2/3. He swears he'll quit the moment he's up by \$2. What is the probability that Nirav manages to quit by going up \$2 (as opposed to losing all his money)?

### 2<sup>nd</sup> VIEWING

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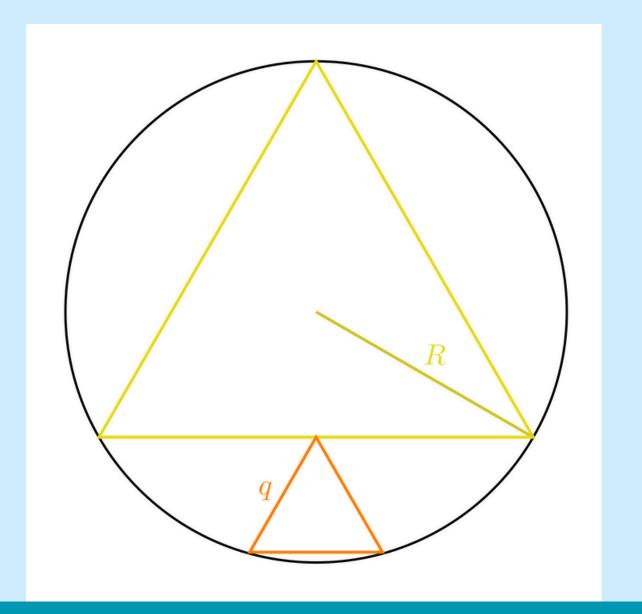
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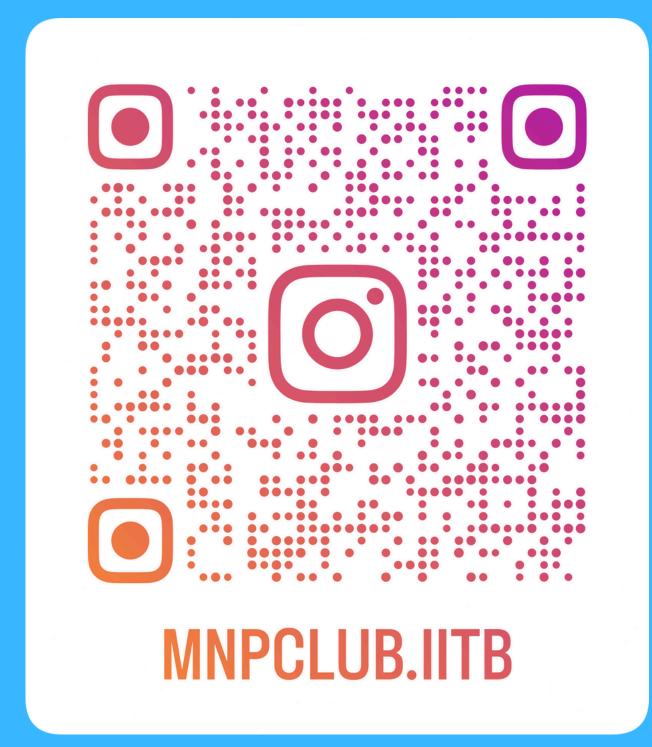


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#### ANSWERS

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$$9876-5432+1 = 1-2345+6789$$
or
$$9-8765+4321 = 1234-5678+9$$

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5 (using Ptolemy's)

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#### Andrew Wiles



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1/2

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### Turing Pattern



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## Number of divisors of (2025\*2026)/2 = **30**

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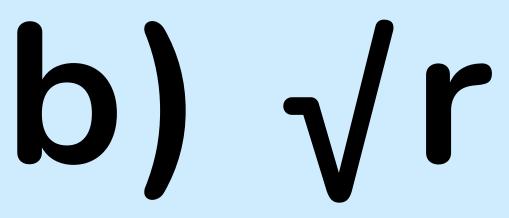
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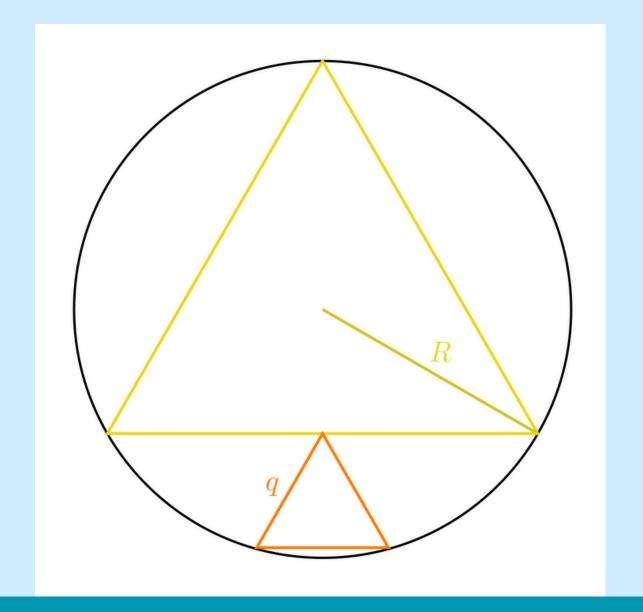
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229

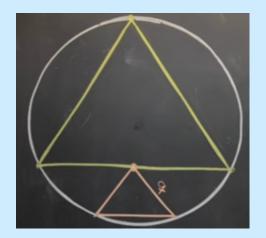


#### Find q in terms of R. Both are equilateral triangles





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 $(\sqrt{15} - \sqrt{3})R/4$ 



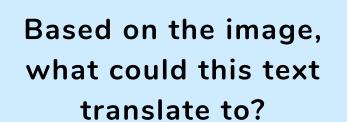
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## Archimedes Don't disturb my circles



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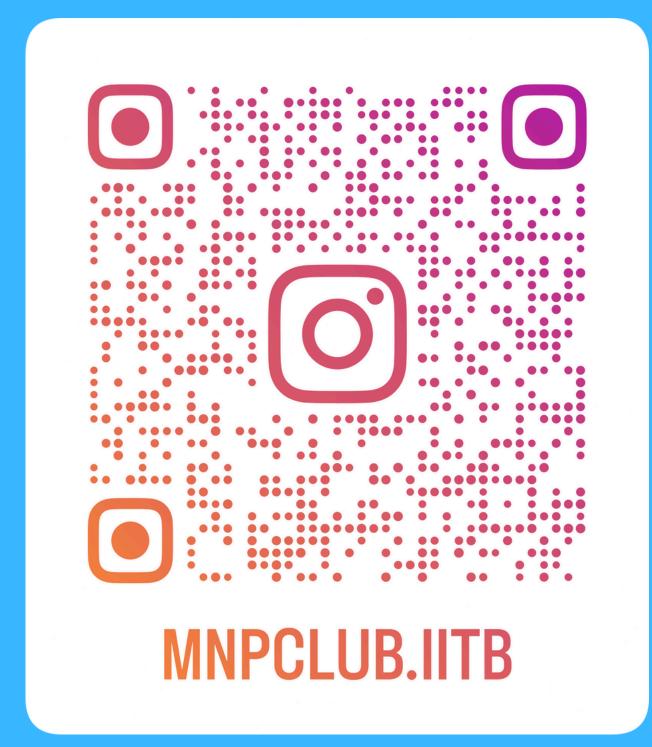
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85/341

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